Topological Geometrodynamics is able to make rather precise and often

testable predictions. In this and two other articles I want to describe

the recent over all view about the aspects of quantum TGD relevant for

particle physics.

In the first chapter I concentrate the heuristic picture about TGD with

emphasis on particle physics.

\begin{itemize}

\item First I represent briefly the basic ontology: the motivations for

TGD and the notion of many-sheeted space-time, the concept of zero energy

ontology, the identification of dark matter in terms of hierarchy of Planck

constant which now seems to follow as a prediction of quantum TGD, the

motivations for p-adic physics and its basic implications, and the identification of space-time surfaces as generalized Feynman diagrams and

the basic implications of this identification.

\item Symmetries of quantum TGD are discussed. Besides the basic symmetries of the imbedding space geometry allowing to geometrize standard

model quantum numbers and classical fields there are many other symmetries.

General Coordinate Invariance is especially powerful in TGD framework

allowing to realize quantum classical correspondence and implies effective

2-dimensionality realizing strong form of holography. Superconformal

symmetries of super string models generalize to conformal symmetries of 3-D

light-like 3-surfaces.

What GRT limit of TGD and Equivalence Principle mean in TGD framework have

are problems which found a solution only quite recently (2014). GRT space—time is obtained by lumping together the sheets of many—sheeted

space-time to single piece of \$M^4\$ provided by an effective metric
defined

by the sum of Minkowski metric and the deviations of the induced metrics of $% \left(1\right) =\left(1\right) \left(1\right)$

space—time sheets from Minkowski metric. Same description applies to gauge

potentials of gauge theory limit. Equivalence Principle as expressed by

Einstein's equations reflects Poincare invariance of TGD.

Super-conformal symmetries imply generalization of the space-time supersymmetry in TGD framework consistent with the supersymmetries of

minimal supersymmetric variant of the standard model. Twistorial approach

to gauge theories has gradually become part of quantum TGD and the natural

generalization of the Yangian symmetry identified originally as symmetry

of ${\cal N}=4$ SYMs is postulated as basic symmetry of quantum TGD.

\item The so called weak form of electric-magnetic duality has turned out

to have extremely far reaching consequences and is responsible for the

recent progress in the understanding of the physics predicted by $\mathsf{TGD}_{\:\raisebox{1pt}{\text{\circle*{1.5}}}}$ The

duality leads to a detailed identification of elementary particles as

composite objects of massless particles and predicts new electroweak

physics at LHC. Together with a simple postulate about the properties of

preferred extremals of K\"ahler action the duality allows also to realized

quantum TGD as almost topological quantum field theory giving excellent

hopes about integrability of quantum TGD.

\item There are two basic visions about the construction of quantum TGD.

Physics as infinite-dimensional K\"ahler geometry of world of classical

worlds (WCW) endowed with spinor structure and physics as generalized

number theory. These visions are briefly summarized as also the practical

constructing involving the concept of Dirac operator. As a matter fact, the

construction of TGD involves four Dirac operators.

\begin{enumerate}

\item The K\"ahler Dirac equation holds true in the interior of space-time

surface: the well-definedness of em charge as quantum number of zero modes

implies localization of the modes of the induced spinor field to 2-surfaces. It is quite possible that this localization

is consistent with K\"ahler-Dirac equation only in the Minkowskian regions

where the effective metric defined by K\"ahler-Dirac gamma matrices can be

effectively 2-dimensional and parallel to string world sheet.

\item Assuming measurement interaction term for four-momentum, the boundary

condition for K\"ahler-Dirac operator gives essentially massless
\$M^4\$

Dirac equation in algebraic form coupled to what looks like Higgs term

but gives a space-time correlate for the stringy mass formula at stringy

curves at the space-like ends of space-time surface.

\item The ground states of the Super-Virasoro representations are constructed in terms of the modes of imbedding space spinor fields which

are massless in 8-D sense.

\item The fourth Dirac operator is associated with super Virasoro generators and super Virasoro conditions defining Dirac equation in WCW_{\bullet}

These conditions characterize zero energy states as modes of WCW spinor

fields and code for the generalization of \$S\$-matrix to a collection of

what I call \$M\$-matrices defining the rows of unitary \$U\$-matrix defining unitary process.

\end{enumerate}

\item Twistor approach has inspired several ideas in quantum TGD during

the last years. The basic finding is that \$M^4\$ resp. \$CP_2\$ is in a well-defined sense the only 4-D manifold with Minkowskian resp. Euclidian signature of metric allowing twistor space with K\"ahler structure. It seems that the Yangian symmetry and the construction of

scattering amplitudes in terms of Grassmannian integrals generalizes to

TGD framework. This is due to ZEO allowing to assume that all particles

have massless fermions as basic building blocks. ZEO inspires the hypothesis that incoming and outgoing particles are bound states of fundamental fermions associated with wormhole throats. Virtual particles would also consist of on mass shell massless particles but without bound state constraint. This implies very powerful constraints

on loop diagrams and there are excellent hopes about their finiteness:

contrary to original expectations the stringy character of the amplitudes seems necessary to guarantee finiteness.

\end{itemize}